

## ALGEBRA II

### Chapter 5 section 5, p. 362

#### Apply the Remainder and Factor Theorems

##### FOCUS:

If you know one zero of a polynomial function, how can you determine another zero?

##### VOCAB:

*Polynomial Long Division: a method used to divide polynomials similar to the way you divide numbers*

*Synthetic Division: a method used to divide polynomials by a divisor of the form  $x-k$*

---

##### WARM – UP:

1. Use the quadratic formula to solve  $2x^2 - 3x - 1 = 0$ . Round to the nearest hundredth.
2. Use synthetic substitution to evaluate  $f(x) = x^3 + x^2 - 3x - 10$  when  $x = 2$ . \_\_\_\_\_
3. A company's income is modeled by the function  $P = 22x^2 - 571x$ . What is the value of  $P$  when  $x = 200$ ? \_\_\_\_\_

##### NOTES:

Divide.

$$f(x) = 3x^3 + 17x^2 + 21x - 11 \quad \text{by} \quad x + 3$$

$$(2x^4 + x^3 + x - 1) \div (x^2 - 2x + 1)$$

Divide using synthetic division. Set up the same as synthetic substitution, what is left underneath are the coefficients of your answer, with the last number being the remainder.

$$f(x) = 2x^3 + 9x^2 + 14x + 5 \quad \text{by} \quad x - 3$$

$$(x^3 + 4x^2 - x - 1) \div (x + 3)$$

\*\*\*\*In an instance where there is a term missing, in decreasing order of exponents you still have to put a 0 in for that coefficient\*\*\*\*

Factor ***completely*** using the given polynomial as a factor. (Means when you get an answer make sure the polynomials left can't be factored further!)

$$f(x) = 2x^3 - 11x^2 + 3x + 36 \quad x - 3$$

$$f(x) = x^3 - 6x^2 + 5x + 12 \quad x - 4$$

One zero of  $f(x) = x^3 + x^2 - 16x - 16$  is 4. What is another zero of  $f(x)$ ?

